

FIG.

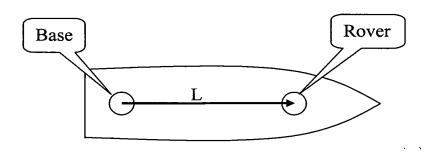
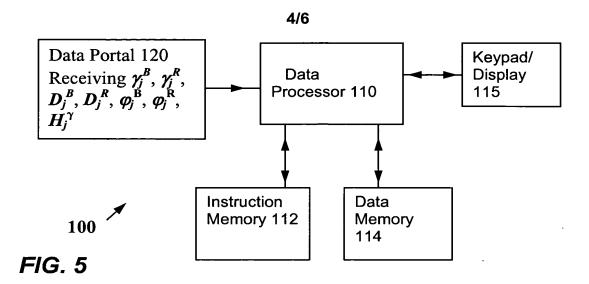


FIG. 3

41 Receive data $(\gamma_i^B, \gamma_i^R, D_i^B, D_i^R, \varphi_i^B, \varphi_i^R, H_i^{\gamma})$, optionally \mathbf{r}_i' and \mathbf{L}_{RB} 42 generate, for each time moment j, a vector $\Delta \gamma_j$ of a plurality of range residuals of pseudo-range measurements made by the first and second navigation receivers in the form of: $\Delta \gamma_i = (\gamma_i^R - \gamma_i^B) - (D_i^R - D_i^B)$, the set of range residuals being denoted as $\Delta \gamma_k$, k=1,...,i43 generate, for each time moment j, a vector $\Delta \varphi_j$ of a plurality of phase residuals of full phase measurements made by the first and second navigation receivers in the form of: $\Delta \varphi_j = (\varphi_j^R - \varphi_j^B) - \Lambda^{-1} \cdot (D_j^R - D_j^B)$, where Λ^{-1} is a diagonal matrix comprising the inverse wavelengths of the satellites, the set of phase residuals being denoted as $\Delta \boldsymbol{\varphi}_k$, k=1,...,i44 generate an LU-factorization of a matrix M or a matrix inverse of matrix M, the matrix M being a function of at least Λ^{-1} and H_k^{γ} , for index k of H_k^{γ} covering at least two of the time moments j45 generate a vector N of estimated floating ambiguities as a function of at least the

set of range residuals $\Delta \gamma_k$, the set of phase residuals $\Delta \phi_k$, and the LU-factorization of matrix **M** or the matrix inverse of matrix **M**

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Instruction Set #1 directs data processor 110 to receive the measured data from data portal 120.

Instruction Set #2 directs the data processor to generate, for each time moment j, a vector $\Delta \gamma_j$ of a plurality of range residuals of pseudo-range measurements made by the first and second navigation receivers in the form of: $\Delta \gamma_j = (\gamma_j^R - \gamma_j^B) - (D_j^R - D_j^B)$, the set of range residuals being denoted as $\Delta \gamma_k$, k=1,...,j

Instruction Set #3 directs the data processor 110 to generate, for each time moment j, a vector $\Delta \varphi_j$ of a plurality of phase residuals of full phase measurements made by the first and second navigation receivers in the form of: $\Delta \varphi_j = (\varphi_j^R - \varphi_j^B) - \Lambda^{-1} \cdot (D_j^R - D_j^B)$, where Λ^{-1} is a diagonal matrix comprising the inverse wavelengths of the satellites, the set of phase residuals being denoted as $\Delta \varphi_k$, k=1,...,j

Instruction Set #4 directs the data processor 110 to generate an LU-factorization of matrix M or a matrix inverse of matrix M, the matrix M being a function of at least Λ^{-1} and H_k^{γ} , for index k of H_k^{γ} covering at least two of the time moments j

Instruction Set #5 directs the data processor 110 to generate a vector \mathbf{N} of estimated floating ambiguities as a function of at least the set of range residuals $\Delta \gamma_k$, the set of phase residuals $\Delta \varphi_k$, and the LU-factorization of matrix \mathbf{M} or the matrix inverse of matrix \mathbf{M}

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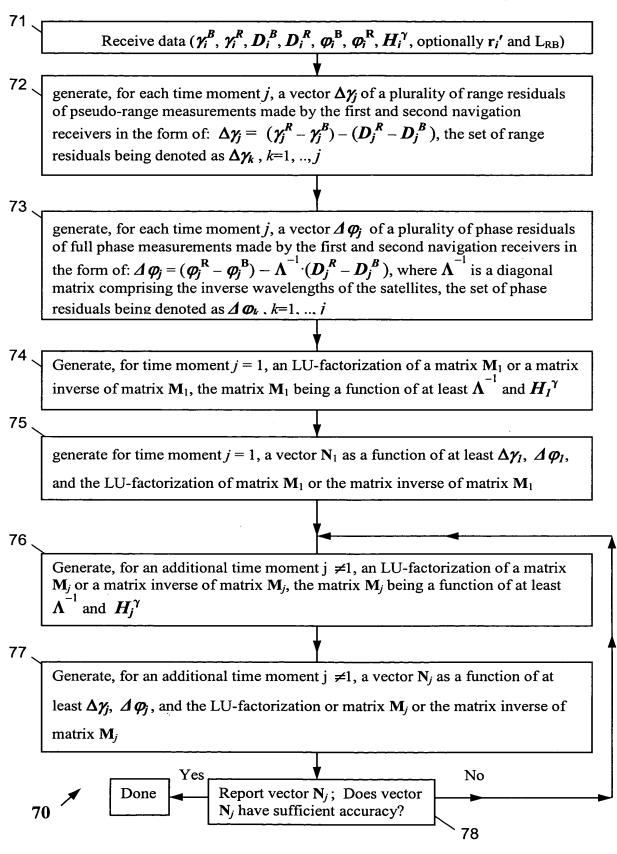


FIG. 7

Instruction Set #1 directs data processor 110 to receive the measured data from data portal 120.

Instruction Set #2 directs the data processor to generate, for each time moment j, a vector $\Delta \gamma_j$ of a plurality of range residuals of pseudo-range measurements made by the first and second navigation receivers in the form of: $\Delta \gamma_j = (\gamma_j^R - \gamma_i^B) - (D_j^R - D_j^B)$, the set of range residuals being denoted as $\Delta \gamma_k$, k=1,...,j

Instruction Set #3 directs the data processor 110 to generate, for each time moment j, a vector $\Delta \varphi_j$ of a plurality of phase residuals of full phase measurements made by the first and second navigation receivers in the form of: $\Delta \varphi_j = (\varphi_j^R - \varphi_j^B) - \Lambda^{-1} \cdot (D_j^R - D_j^B)$, where Λ^{-1} is a diagonal matrix comprising the inverse wavelengths of the satellites, the set of phase residuals being denoted as $\Delta \varphi_k$, k=1,...,j

Instruction Set #4 directs the data processor 110 to generate, for time moment j = 1, an LU-factorization of a matrix \mathbf{M}_1 or a matrix inverse of matrix \mathbf{M}_1 , the matrix \mathbf{M}_1 being a function of at least $\boldsymbol{\Lambda}^{-1}$ and $\boldsymbol{H}_1^{\gamma}$

Instruction Set #5 directs the data processor 110 to generate, for time moment j = 1, a vector N_1 as a function of at least $\Delta \gamma_I$, $\Delta \varphi_I$, and the LU-factorization of matrix M_1 or the matrix inverse of matrix M_1

Instruction Set #6 directs the data processor 110 to generate, for one or more additional time moments $j \neq 1$, an LU-factorization of a matrix M_j or a matrix inverse of matrix M_j , the matrix M_j being a function of at least Λ^{-1} and H_i^{γ}

Instruction Set #7 directs the data processor 110 to generate, for one or more additional time moments $j \neq 1$, a vector N_j as a function of at least $\Delta \gamma_j$, $\Delta \varphi_j$, and the LU-factorization or matrix M_j or the matrix inverse of matrix M_j

Instruction Set #8 directs the data processor 110 to report vector N_j as having estimates of the floating ambiguities, and to repeat Instruction Sets #6 and #7 if vector does not have sufficient (or desired) accuracy, or if it is desired to keep the process going even through sufficient accuracy has been reached.

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